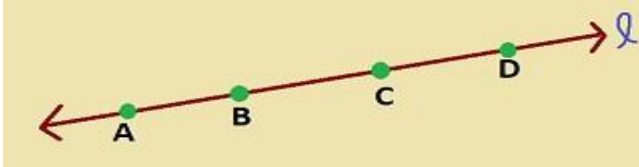
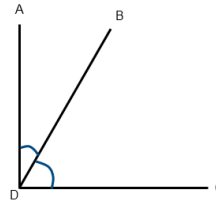


1. Points A, B, C, and D lie on  $\overline{AD}$ . If  $AB = 3$  meters,  $BC = 5$  meters, and  $CD = 4$  meters, what is  $AD$ ? Show your methods below.



2. If  $m\angle ADB = 20^\circ$  and  $m\angle ADC = 85^\circ$ , what is  $m\angle BDC$ ? Show your methods.



3. If C is between A and B, then the *Segment Addition Postulate* states that:

\_\_\_\_\_ + \_\_\_\_\_ = \_\_\_\_\_

4. If C is in the interior of between  $\angle ADB$ , then the *Angle Addition Postulate* states that:

\_\_\_\_\_ + \_\_\_\_\_ = \_\_\_\_\_

5.

A right angle has \_\_\_\_\_ degrees.

6.

A straight angle has \_\_\_\_\_ degrees.

7. Use two of the words below to make each statement true.

A \_\_\_\_\_ is a statement that is believed to be true and accepted without proof.

A \_\_\_\_\_ is a statement that has been proven to be true for all cases.

**postulate**

**theorem**

**axiom**

**converse**

8. What are *linear pair* angles?

9. What is the *linear pair theorem*?

10.  $\angle ADB$  and  $\angle BDC$  are linear pairs. If  $m\angle ADB = 80^\circ$ , then find  $m\angle BDC$ . Explain how you got your answer.

11. What is the **common segment theorem**?

12.

If two angles form a linear pair, then they are supplementary.

**Given:**  $\angle MJK$  and  $\angle MJL$  are a linear pair of angles.

**Prove:**  $\angle MJK$  and  $\angle MJL$  are supplementary.



Complete the proof by writing the missing reasons. Choose from the following reasons.

Angle Addition Postulate

Definition of opposite rays

Substitution Property of Equality

Given

Statements	Reasons
1. $\angle MJK$ and $\angle MJL$ are a linear pair.	1.
2. $\vec{JL}$ and $\vec{JK}$ are opposite rays.	2. Definition of linear pair
3. $\vec{JL}$ and $\vec{JK}$ form a straight line.	3.
4. $m\angle LJK = 180^\circ$	4. Definition of straight angle
5. $m\angle MJK + m\angle MJL = m\angle LJK$	5.
6. $m\angle MJK + m\angle MJL = 180^\circ$	6.
7. $\angle MJK$ and $\angle MJL$ are supplementary.	7. Definition of supplementary angles

13.

If  $A$ ,  $B$ ,  $C$ , and  $D$  are collinear, as shown in the figure, with  $AC = BD$ , then  $AB = CD$ .



**Given:**  $AC = BD$

**Prove:**  $AB = CD$

Statements	Reasons
1. $AC = BD$	1.
2. $AC = AB + BC$ ; $BD = BC + CD$	2.
3.	3. Substitution Property of Equality
4. $AB = CD$	4.